

Active Monitoring of All-Optical Networks ¹

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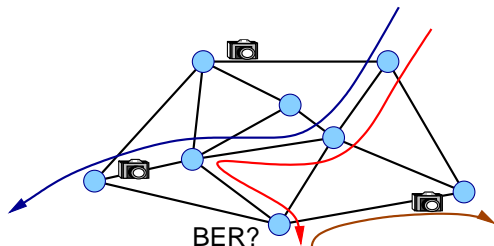
Introduction

Notations
Problem
statement

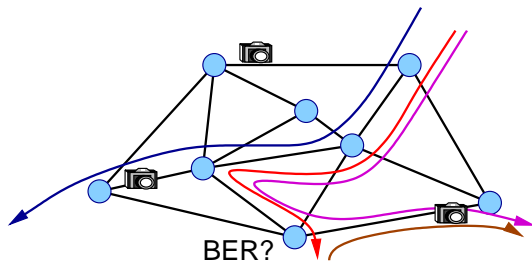
Heuristic

Results

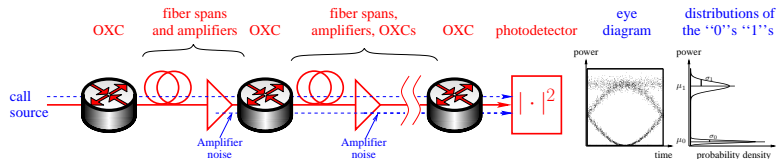
Conclusions



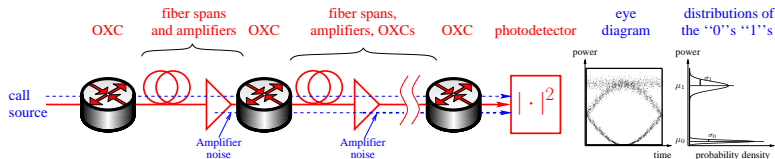
- Impairments accumulate \Rightarrow Q factor decreases
 \Rightarrow need monitoring
- Check that network performs as expected or guaranteed
- QoS monitoring: Q factor for all lightpaths?
- Monitoring devices are expensive \rightarrow limit number
 - Deploy a few monitors, observe limited number of lightpaths
 - Exploit topology-induced correlation between Q factors
 - Estimate Q for non-observed lightpaths



- **Passive monitoring:** inadequate performance
- **Establish** “active lightpaths”
 - Gain more information about non-observed lightpaths
 - No meaningful data on active lightpaths
 - Establish and tear down immediately → little impact on the network performance
 - Use wavelength that are otherwise unused
- **Estimate** Q for non-observed lightpaths

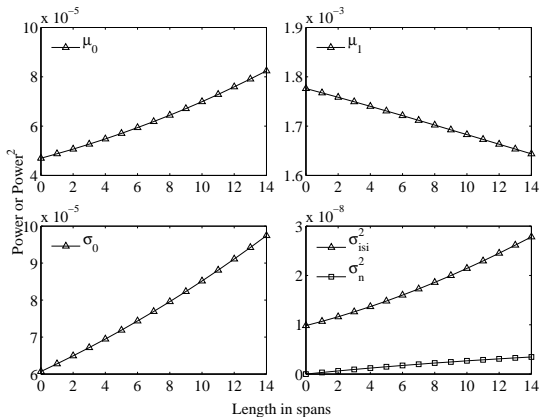


- New issues arise with all-optical networks
 - Intersymbol interference (ISI)
 - ASE (amplifier) noise accumulation
 - Nonlinear crosstalk (XPM, FWM)
 - Node crosstalk



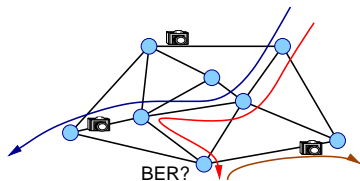
- Monitors are located near photodetection stage
 - Placement problem ?
- Available data: $\mu_1, \mu_0, \sigma_1, \sigma_0$
- Only for lightpaths that end at monitor-equipped links!
- Noise and ISI only (also nonlinear and node crosstalks)

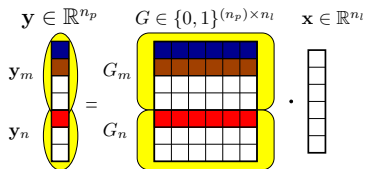
$$Q = \frac{\mu_1 - \mu_0}{\sigma_0 + \sqrt{\sigma_i^2 + \sigma_n^2 + \sigma_{nl}^2 + \sigma_{node}^2}}$$



- $\mathbf{y} = \mathbf{Q}$ is not linear with $\#$ spans
- $\mathbf{y} \in \{\mu_1, \mu_0, \sigma_1^2, \sigma_0\}$ is **linear** with $\#$ spans

Standard estimation problem



$$\mathbf{y} \in \mathbb{R}^{n_p} \quad G \in \{0, 1\}^{(n_p) \times n_\ell} \quad \mathbf{x} \in \mathbb{R}^{n_\ell}$$


\mathbf{y}_m G_m \mathbf{x}
 \mathbf{y}_n G_n

- $G = \begin{bmatrix} G_m \\ G_n \end{bmatrix}$ = **routing matrix**, $n_p \times n_\ell$
- G_m = **observed/monitored paths** routing matrix, $n_s \times n_\ell$
- G_n = **non-observed** paths routing matrix, $(n_p - n_s) \times n_\ell$
- $\mathbf{y} = \begin{bmatrix} \mathbf{y}_m \\ \mathbf{y}_n \end{bmatrix}$ = **end-to-end** metric, \mathbf{x} = **link** metric, $\mathbf{y} = G\mathbf{x}$
- \mathbf{y}_m = **observed** metrics, \mathbf{y}_n = **non-observed** metrics

- G_m =observed paths routing matrix, $n_s \times n_\ell$
- G_n =non-observed paths routing matrix, $(n_p - n_s) \times n_\ell$
- \mathbf{y}_m =observed metrics, \mathbf{y}_n =non-observed metrics
- Given observations \mathbf{y}_p and topology G , estimate $\hat{\mathbf{y}}_n$ of \mathbf{y}_n that minimizes relative MSE:

$$\text{RMSE}(\hat{\mathbf{y}}_n) = \|\hat{\mathbf{y}}_n - \mathbf{y}_n\|_2 / \|\mathbf{y}_n\|_2:$$

$$\hat{\mathbf{y}}_n = G_n G_m^T (G_m G_m^T)^+ \mathbf{y}_m \text{ [Chua 2005]}$$

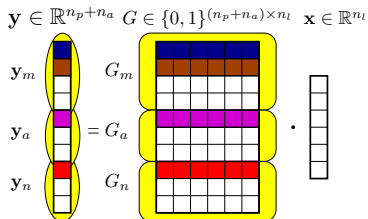
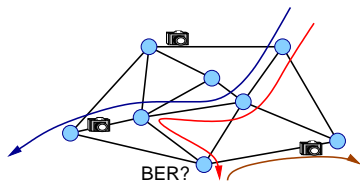
- Heuristic used to select G_m given G

- Monitors placement=fixed, cannot select lightpaths at will
- Establish at most n_a new “active” lightpaths
→ active lightpaths G_a , new observations \mathbf{y}_a
- **Objective:**

$$G_a^* = \arg \min_{G_a} (\text{RMSE}(\hat{\mathbf{y}}_n))$$

$$\hat{\mathbf{y}}_n = G_n G_m'^T (G_m' G_m'^T)^+ \mathbf{y}'_m, \quad G_m' = \begin{bmatrix} G_m \\ G_a \end{bmatrix}, \quad \mathbf{y}'_m = \begin{bmatrix} \mathbf{y}_m \\ \mathbf{y}_a \end{bmatrix}$$

- **Constraint:** physical meaning of G_a
- **Secondary objective:** keep additional lightpaths short
- **Insight:** augment rank of observation matrix G_m'

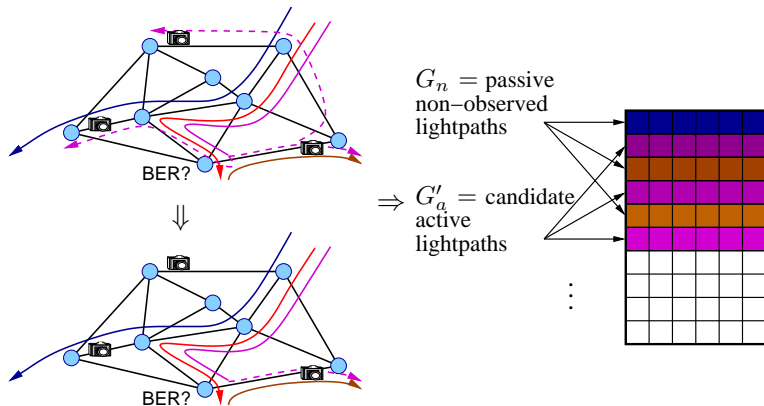


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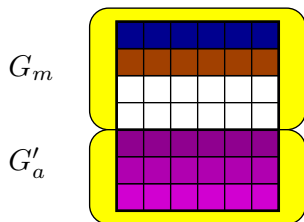
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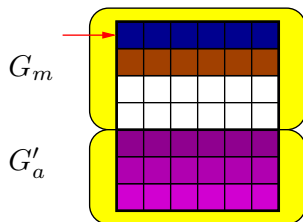
- **Constraint:** physical meaning of G_a
- **Secondary objective:** keep additional lightpaths short
- **Insight:** augment rank of observation matrix G_m'
- G_a is binary \Rightarrow need heuristic



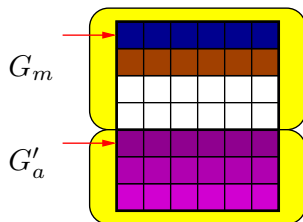
- For each non-observed lightpaths, find path from last node of lightpath to closest monitor $\rightarrow G'_a$
- **Insight:** force observations of (formerly) unobserved links!
- Meet wavelength continuity constraint, but not QoS



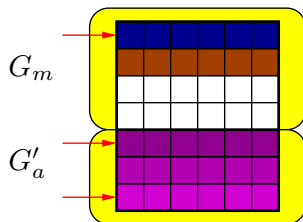
- Possibly many ($= n_p - n_s$) candidates, need at most n_a
- Select an increasing number n of rows of $\begin{bmatrix} G_m \\ G'_a \end{bmatrix}$ until n_a rows of G'_a are selected: **rank-revealing technique**
 - rows that best approximate space spanned by first n eigenvectors of $\begin{bmatrix} G_m \\ G'_a \end{bmatrix}$ [Golub-Van Loan]



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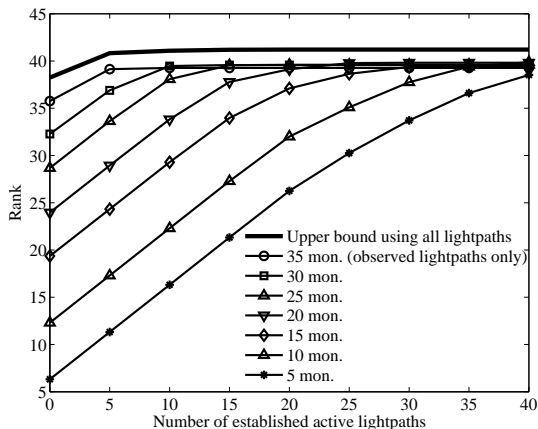


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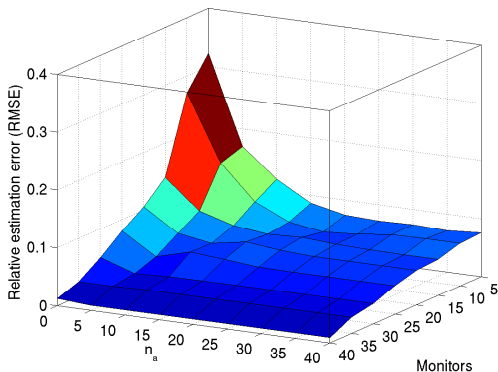


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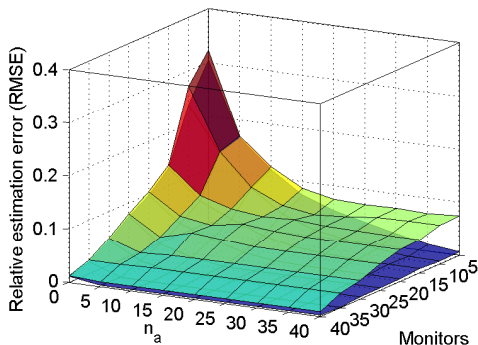
Rank of observation routing matrix G'_m



- NSFNET topology, 42 links, ≈ 50 lightpaths
- **Rank increases with slope 1** as the number of active lightpaths n_a increases

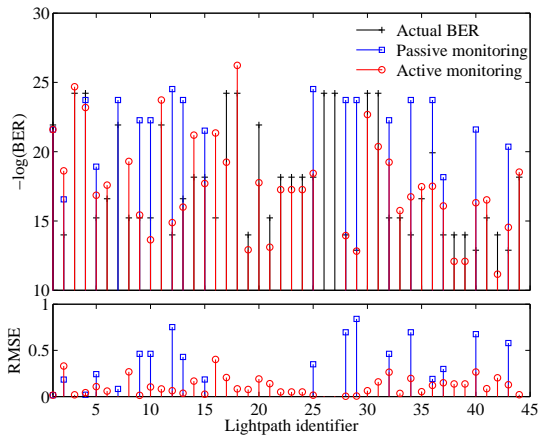


- Relative MSE in terms of $\log(\text{BER})$ ($\text{BER} = \frac{1}{2}\text{erfc}\frac{Q}{\sqrt{2}}$)
- **Trade-off:** hardware monitoring vs active lightpaths vs estimation accuracy

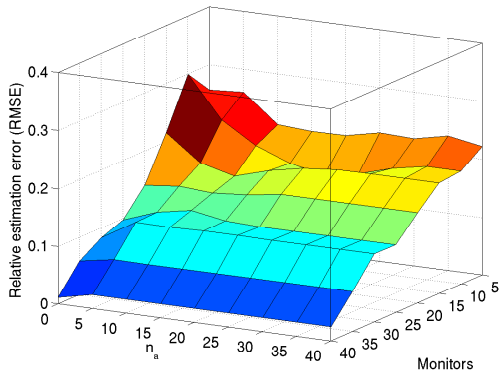


- Relative MSE in terms of $\log(\text{BER})$
- Existence of a **“linearization noise”** floor

Example

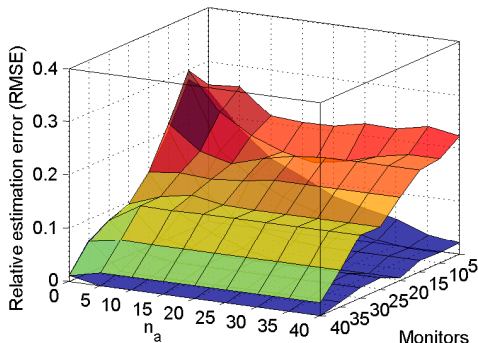


- 5 monitors, $n_a = 15$ active lightpaths
- More lightpaths estimated with active monitoring



- The trade-off is not so apparent here...

Combining analytical method with real measurements



- Combining **analytical model** and **measurements** can improve monitoring performance

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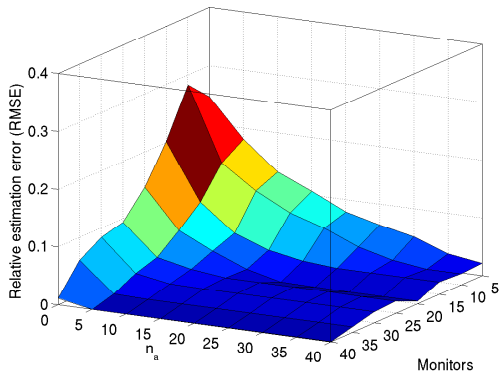
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Combining analytical method with real measurements



- Combining **analytical model** and **measurements** can improve monitoring performance
- Need to find a linear transformation and a good model for the ASE noise

- Exploit **trade-off** between
 - # hardware monitors** (expensive)
 - and
 - # new “active” lightpaths** (inexpensive)
- Place active lightpaths appropriately
 - ⇒ **reduce** hardware monitors, **same** monitoring performance
- Necessitates **linearization assumption**
 - ⇒ hybrid (**analytical** + **measurements**) estimation framework?
- **Future work:** soft error detection/localization